

1. Walking Babies. Cobb (2015 *Design and Analysis of Experiments* p 150) reported the age (in months) at which babies first walked. The goal of the study was to find if special (structured) exercise lowered the age, compared to 3 control groups: (1) 12 minute/day of unstructured exercise; (2) no exercise and a weekly parental report; (3) no exercise and a single parental report at the end of the study. Six baby boys were assigned randomly to each level, only 5 values were obtained for the single parental report babies.

| Age | Ex |
|------|---------------|
| 9 | Special |
| 9.5 | Special |
| 9.75 | Special |
| 10 | Special |
| 13 | Special |
| 9.5 | Special |
| 11 | Exercise |
| 10 | Exercise |
| 10 | Exercise |
| 11.8 | Exercise |
| 10.5 | Exercise |
| 15 | Exercise |
| 11 | Weekly Report |
| 12 | Weekly Report |
| 9 | Weekly Report |
| 11.5 | Weekly Report |
| 13.3 | Weekly Report |
| 13 | Weekly Report |
| 13.3 | Single Report |
| 11.5 | Single Report |
| 12 | Single Report |
| 13.5 | Single Report |
| 11.5 | Single Report |

1a. Complete the table, use A for age and Ex for Exercise group

| Name | Symbol | Resp/Explanatory | Type (NOIR) | Rand/Fixed |
|-----------------|-----------|--------------------|----------------|------------|
| <u>Age</u> | <u>A</u> | <u>Response</u> | <u>Ratio</u> | |
| <u>Ex Group</u> | <u>Ex</u> | <u>Explanatory</u> | <u>Nominal</u> | |

1b. 2c. Justify your choice of random or fixed factor

Inferring only to 4 named categories arising from experiment goals

Number of groups being compared 4 [1]
Sample size across all groups $6 \times 3 + 5 = 23$ [1]

1a. Write a GLM, using A for age, and Ex for Exercise group. [5]

$$A = \beta_0 + \beta_{Ex} Ex + \epsilon$$

1b. The SS_{group} for this data was 14.448
Complete the ANOVA table

| | Df | Sum of Sq | Mean Sq | F-ratio | Pr(F) |
|-----------|-----------|---------------|--------------|--------------|-------|
| Group | <u>3</u> | <u>14.448</u> | <u>4.816</u> | <u>2.075</u> | 0.137 |
| Residuals | <u>19</u> | <u>44.106</u> | <u>2.321</u> | | |
| Total | <u>22</u> | <u>58.554</u> | | | |

The p-value shown is for 14.448.

What happens to the p-value when SS_{group} increases? It decreases [1]

1c. Use symbolic notation to state the null hypothesis being tested

$$H_0: \mu_{str} = \mu_{unstr} \quad [1]$$

2. Follow-up study (over).

$$= \mu_{parent\ rep} = \mu_{single\ report}$$

$H_0: \mu_i$ is equal in all groups